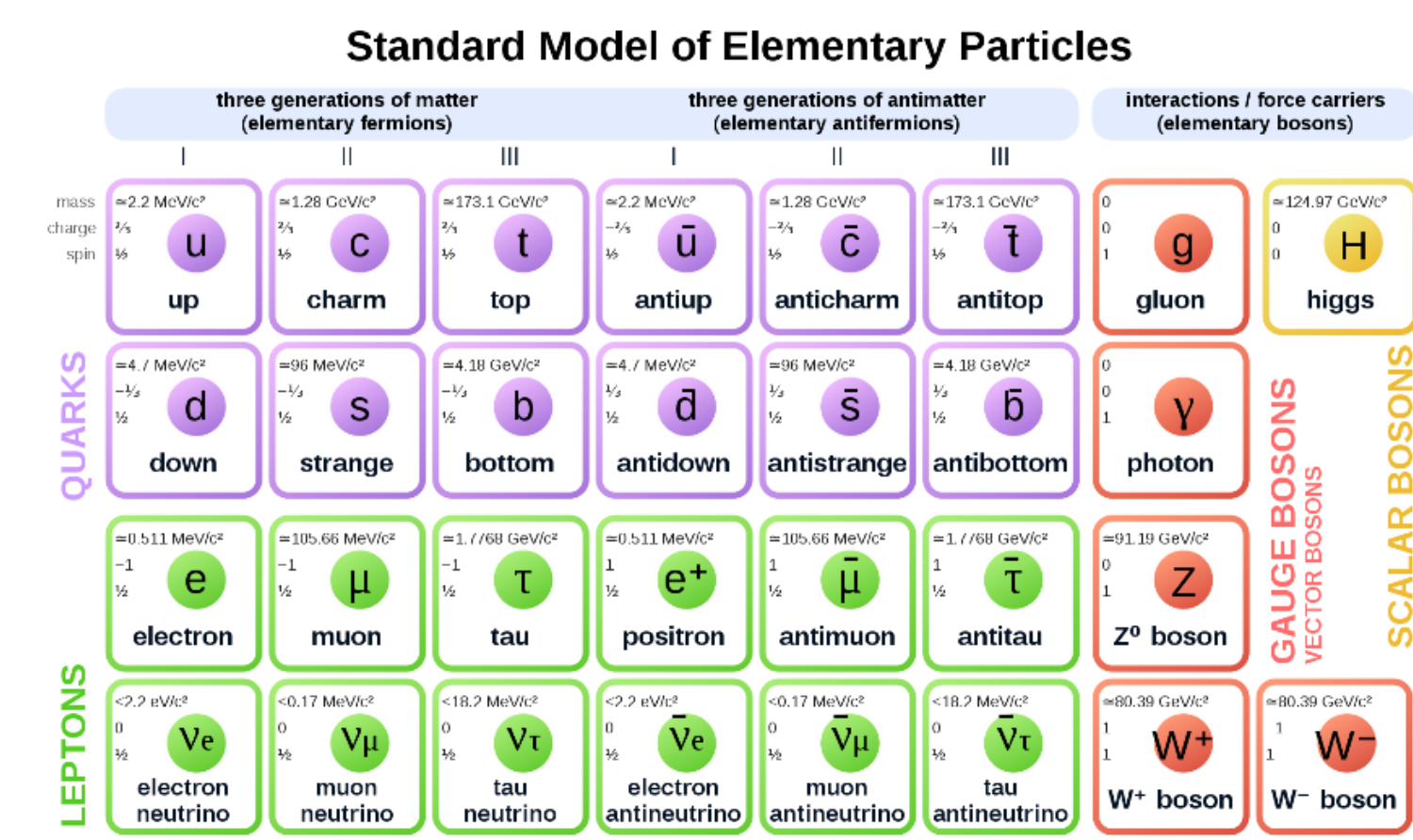


## INTRODUCTION

- **Question:** How many fundamental particles are present in the universe?
- **Approach:**
  - Fundamental particles in the universe are quantization of fundamental fields.
  - Fundamental fields can be visualized as many interacting quantum DOF.
- **Background:** Probe gravitational effects in quantum systems in the low energy regime.
- **Refined question:** Can we devise an experiment in the low energy regime to constrain the number of quantum DOF?
- **Theoretical framework:** Gravitational redshift and gravitational decoherence due to time dilation.

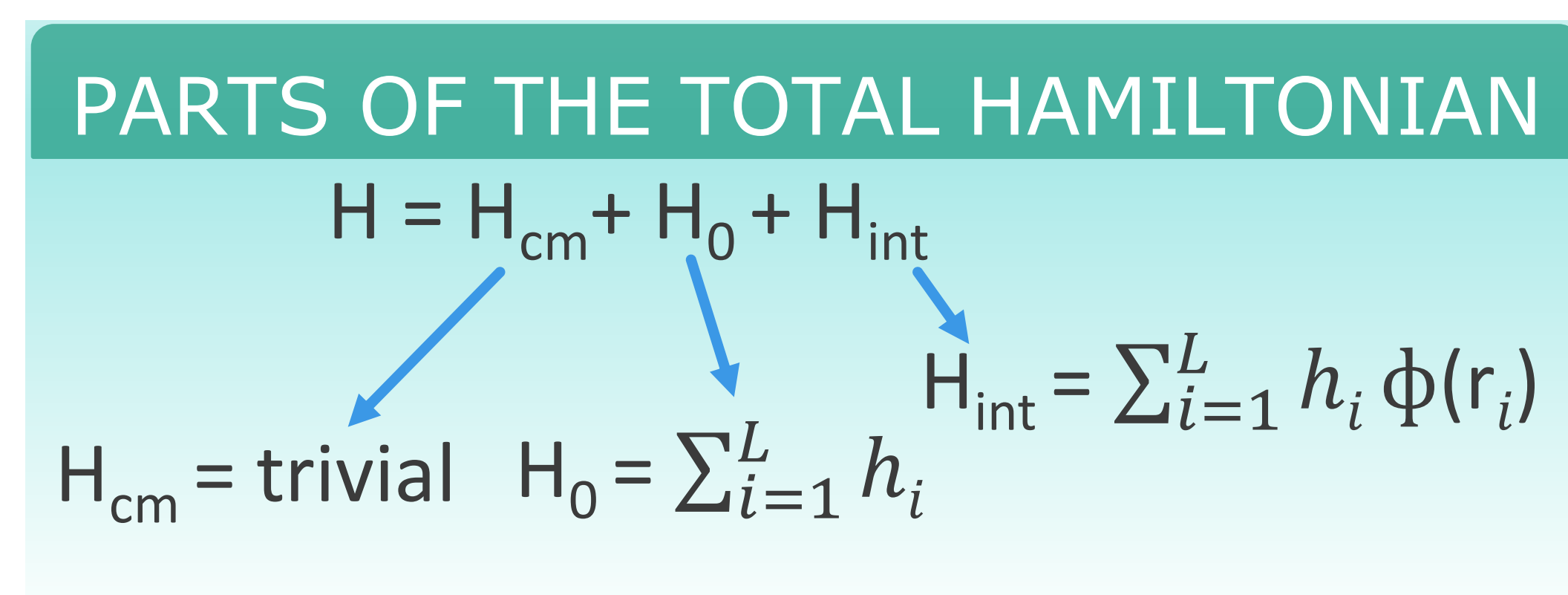
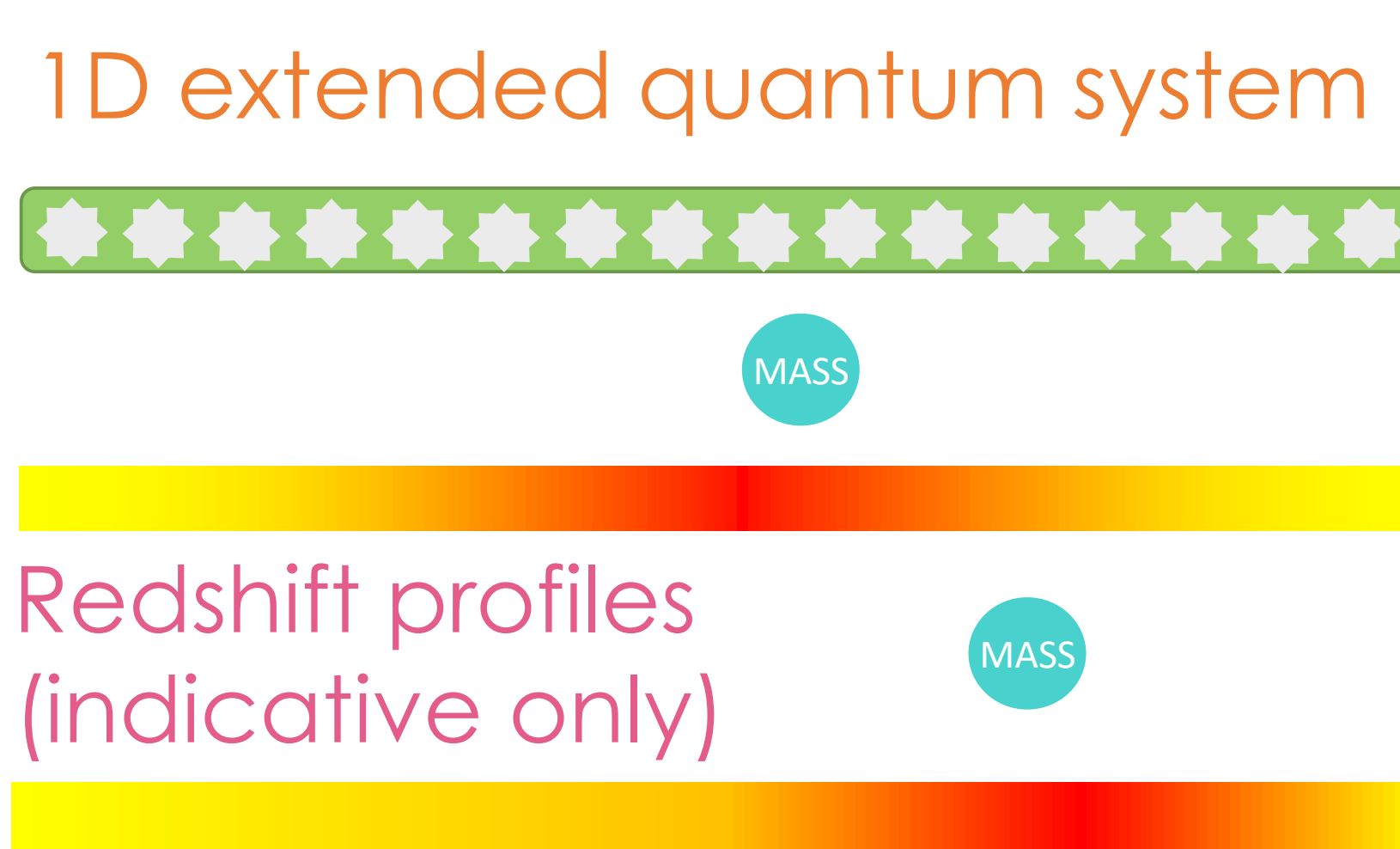


## GRAVITATIONAL RED SHIFT IN EXTENDED QUANTUM SYSTEMS WITH INTERNAL DOF AND DECOHERENCE

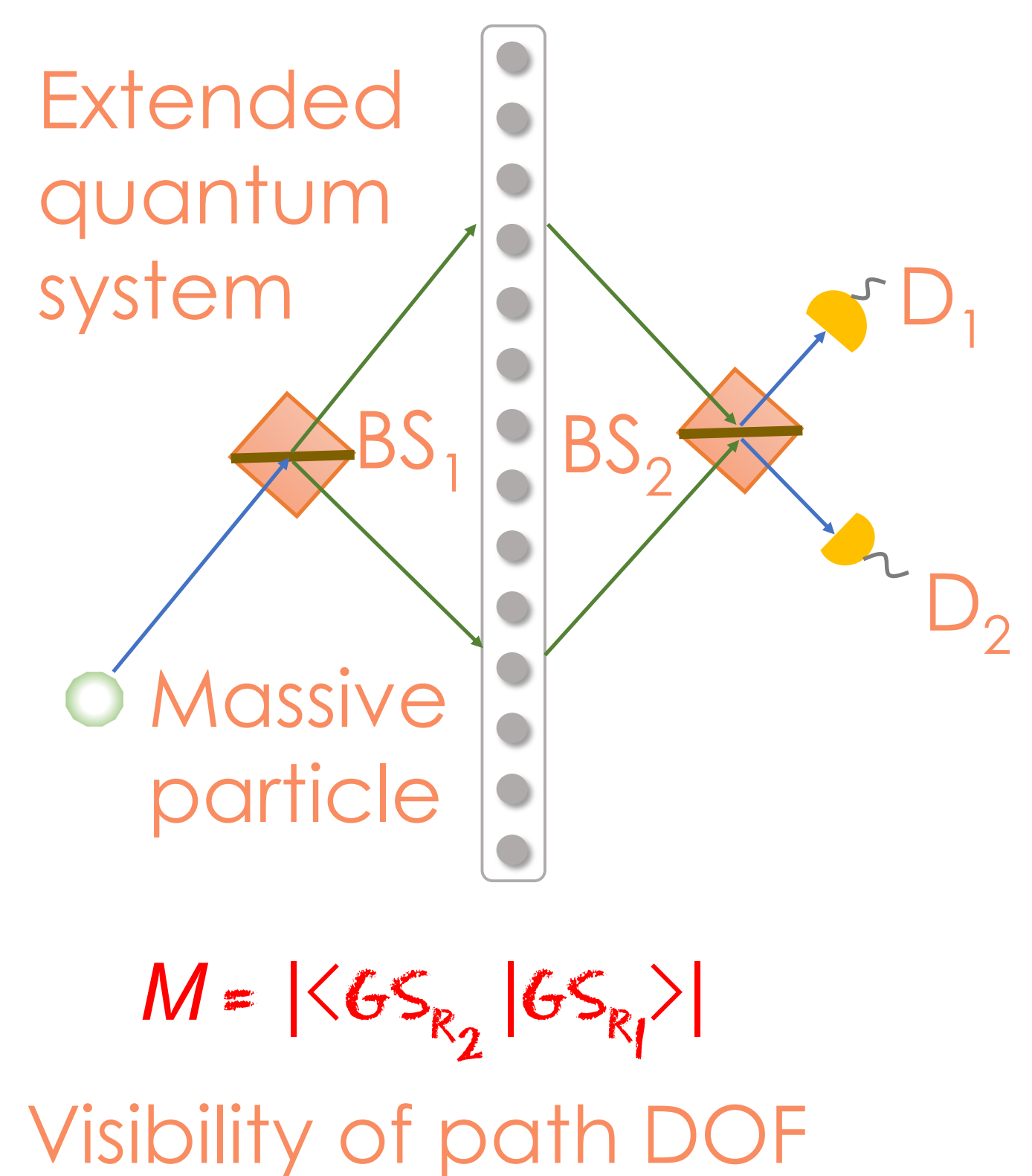
### MOTIVATION

- Experimentally testable
  - Near term simulation on quantum hardware
  - Toy model for fields
  - E.g. spin chain systems
  - Sum of Local Hamiltonians
- $$H_0 = \sum_{i=1}^L h_i$$

### (A) DIFFERENTIAL REDSHIFT



### (B) GEDANKEN EXPERIMENT



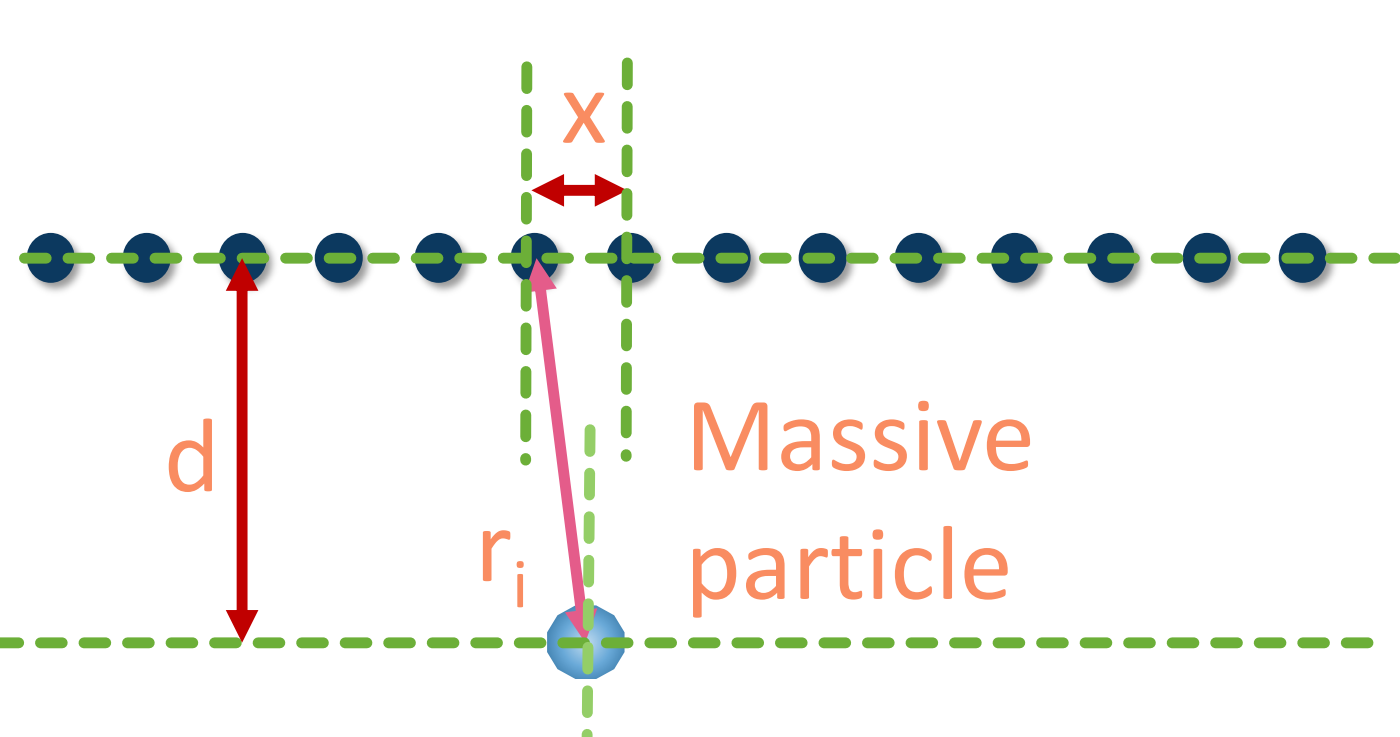
- **Scenario:** Extended quantum system with internal DOF, with a massive particle nearby.
- **Assumption:** T = 0, massive particle is brought adiabatically near the system.
- **(A)** Total Hamiltonian (hence, the ground state) depends on the redshift profile - the relative position of mass from the spin chain.
- **(B)** If mass is prepared in a spatial superposition, the ground state of spin chain is entangled with the position of mass:  $|\Psi\rangle = |R_1\rangle |GS\rangle_{R_1} + |R_2\rangle |GS\rangle_{R_2}$

Decoherence! ← Measure the COM in ± basis ← Trace out the internal DOF → Entangled state due to differential redshift

- **Inference:** Low visibility → Low overlap b/w GS → High decoherence

## DECOHERENCE IN SPATIAL SUPERPOSITION OF MASSIVE PARTICLE DUE TO SPIN CHAINS

### MODELLING DIFFERENTIAL REDSHIFT IN SPIN CHAINS



### Red shift factor:

$$\sqrt{-g_{00}} \approx \sqrt{1 + 2\phi(\vec{r}_i)} \approx (1 + \phi(\vec{r}_i)) \quad \phi(\vec{r}_i) = -G \frac{M}{|\vec{r}_i|}$$

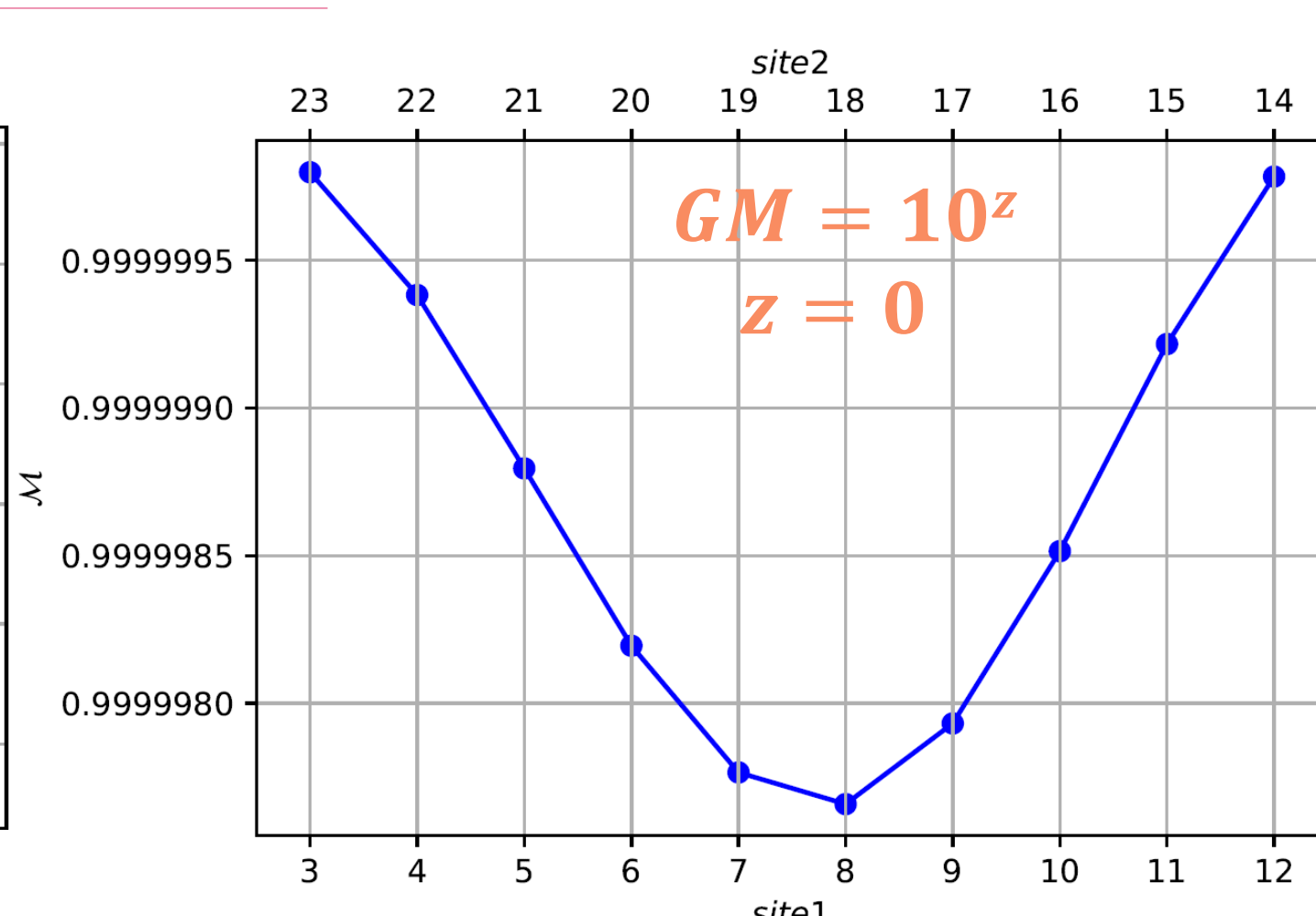
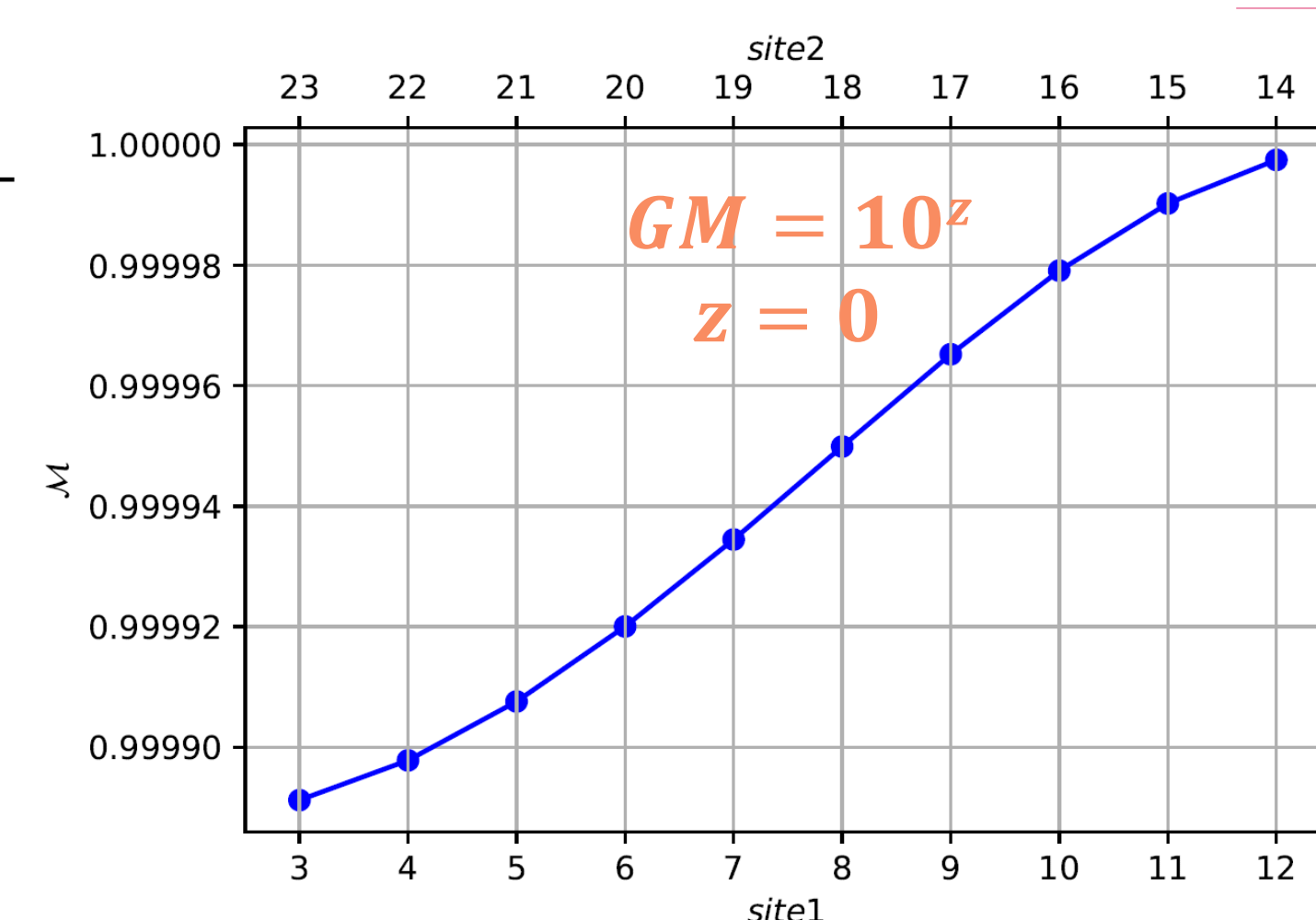
$$r_i = \sqrt{\left((k-i) + \frac{1}{2}\right)^2 x^2 + d^2} \quad \forall i \in [1, L], \text{ for } \phi_i$$

$$r_i = \sqrt{(k-i)x^2 + d^2} \quad \forall i \in [1, L-1], \text{ for } \phi_{i+1}$$

Original Hamiltonian:  $H = J_x \sum_{i=1}^{L-1} (\hat{S}_i^x \hat{S}_{i+1}^x + \hat{S}_i^y \hat{S}_{i+1}^y) + J_z \sum_{i=1}^{L-1} \hat{S}_i^z \hat{S}_{i+1}^z - \sum_{i=1}^L B_i \hat{S}_i^z$

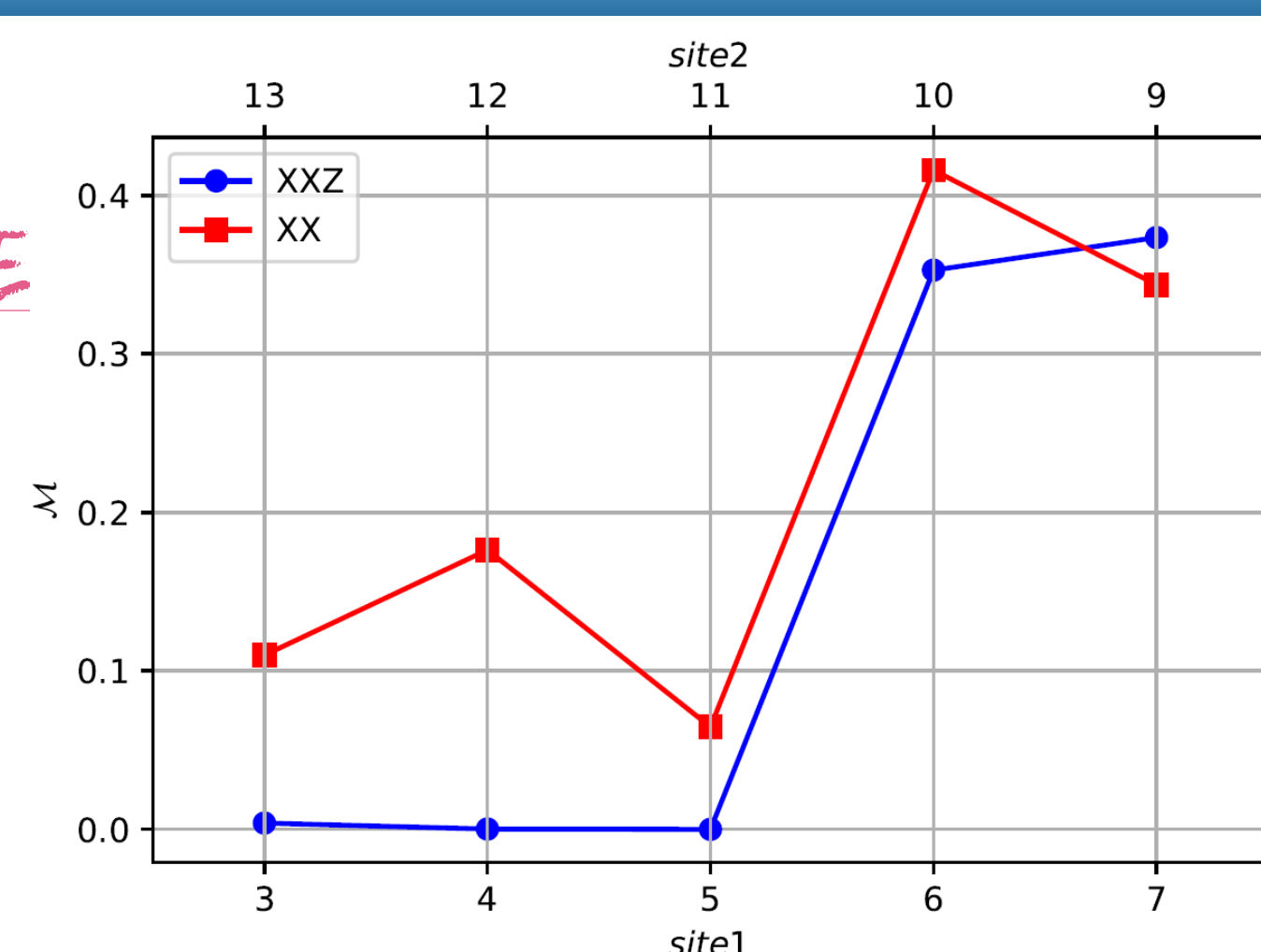
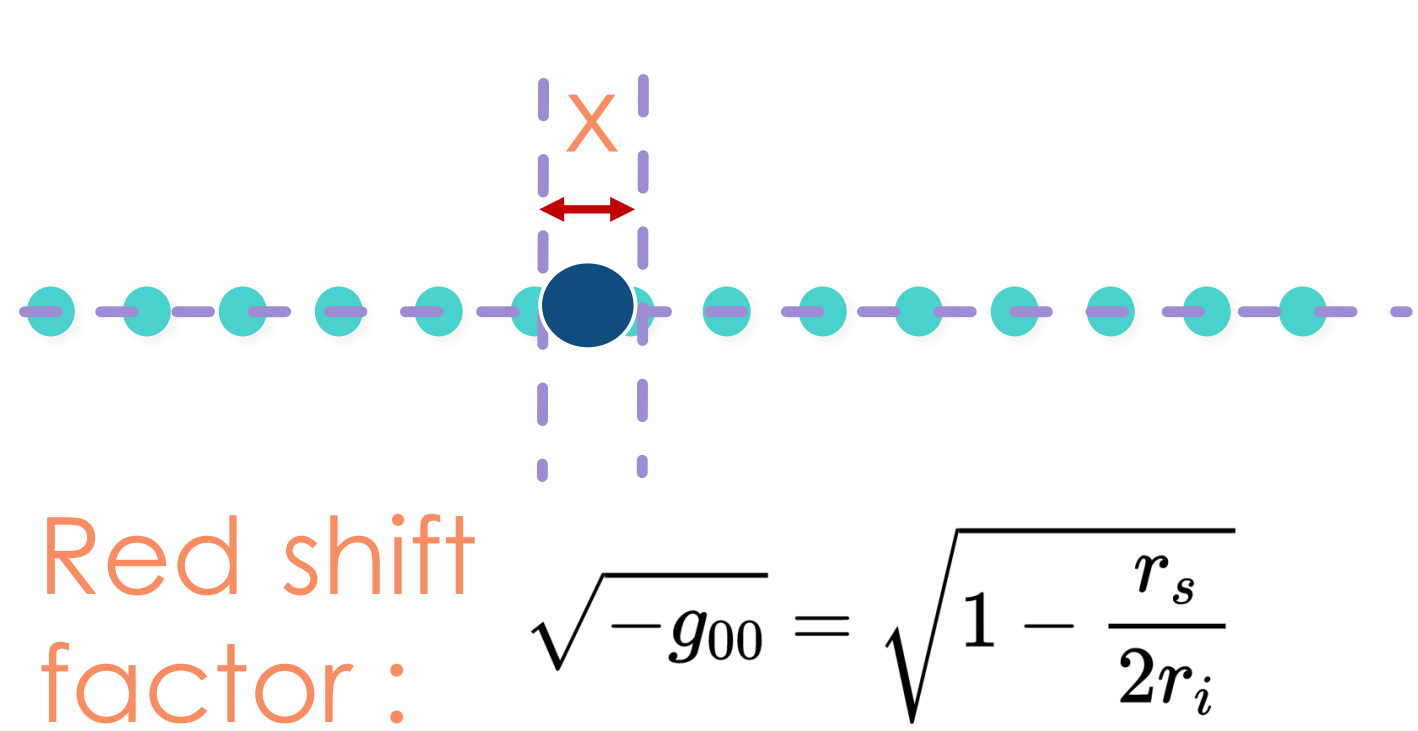
Red shifted Hamiltonian:  $H = J_x \sum_{i=1}^{L-1} (1 + \phi_{i,i+1}) (\hat{S}_i^x \hat{S}_{i+1}^x + \hat{S}_i^y \hat{S}_{i+1}^y) + J_z \sum_{i=1}^{L-1} (1 + \phi_{i,i+1}) \hat{S}_i^z \hat{S}_{i+1}^z - \sum_{i=1}^L (1 + \phi_i) B_i \hat{S}_i^z$

### RESULTS



## CONSTRAINING THE NUMBER OF QUANTUM DOF

### LIMITING CASE WITH SCHWARZCHILD BLACK HOLE



- N number of spin chains lying at the same relative position wrt. the massive particle.
- Each contributes equally to the decoherence:  $M^N \rightarrow 0$ .
- Limit  $\alpha$  arbitrarily close to 0, defined by the limit of experimental observation.  $M^N \rightarrow e^{-\alpha}$ ,  $N = -\alpha / \ln(M)$

FOR BH:

$$N = 2 \text{ for } \alpha = 2$$

FOR FINITE MASS:

$$N = 10000 \text{ for } \alpha = 2, \text{ in } z = 0, \text{ XXZ}$$